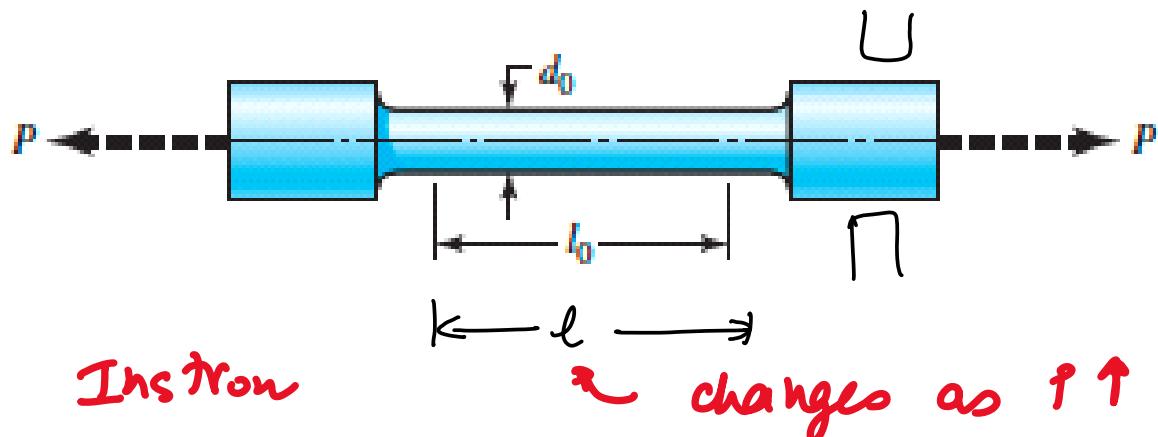


specimen

Material strength and stiffness



P - external load

l_0 - gauge length

d_0 - diameter

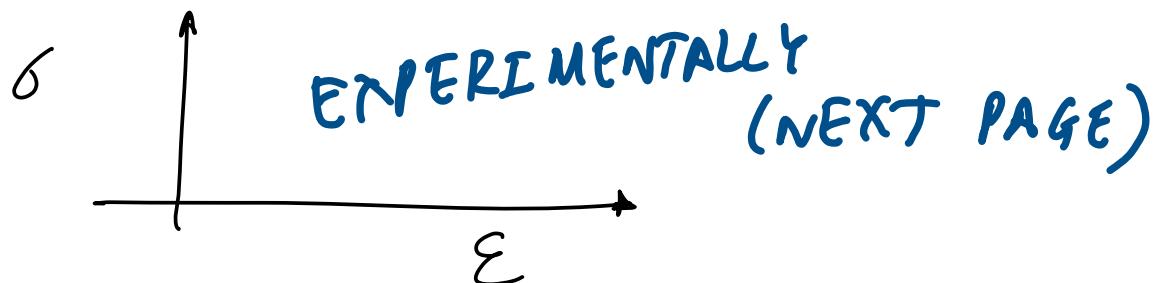
Stress

$$\sigma = \frac{P}{A} = \frac{P}{(\pi d^2/4)} = \frac{4P}{\pi d^2}$$

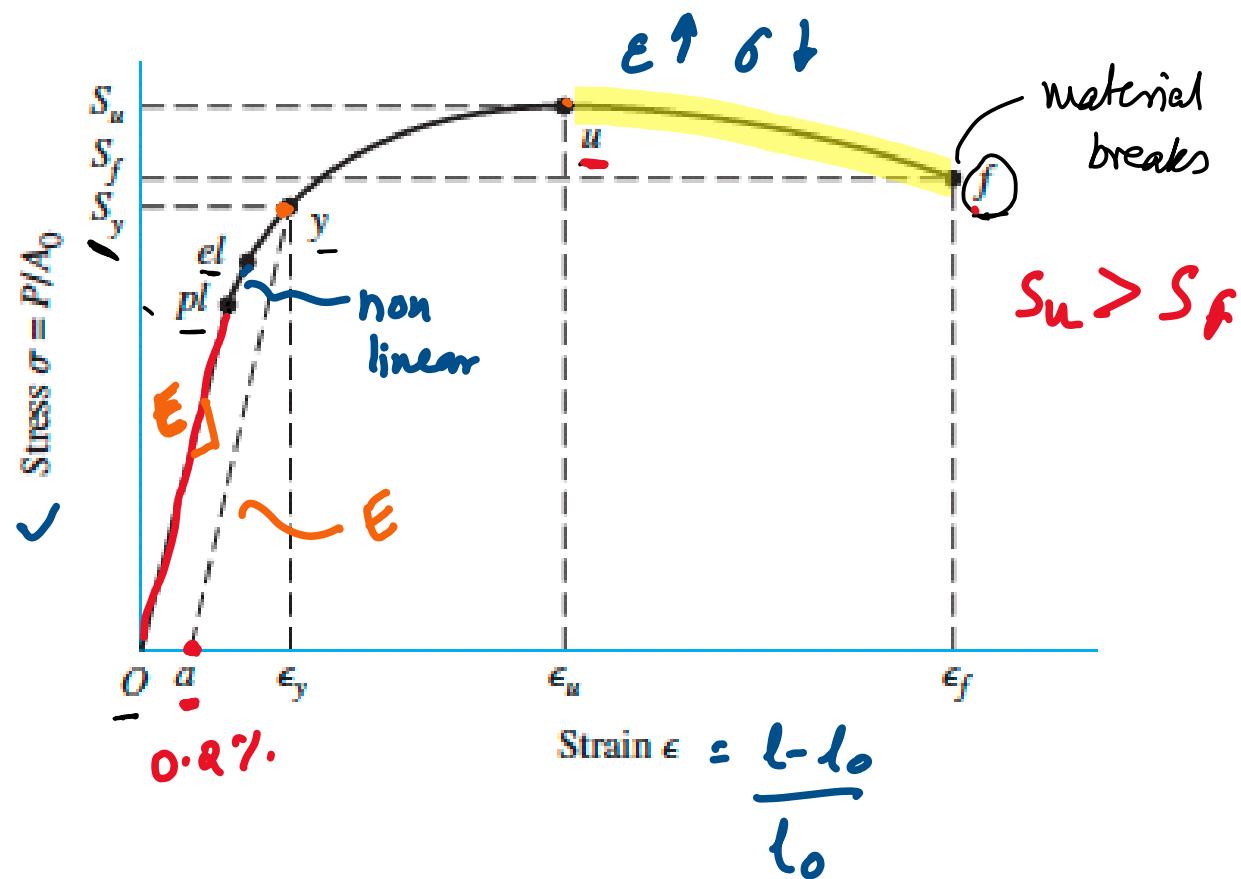
Engineering
strain ϵ

$$\epsilon = \frac{l - l_0}{l_0} = \frac{\Delta l}{l_0}$$

$P \uparrow \quad l \uparrow \quad d \downarrow \quad \epsilon \uparrow$



ductile (metals)



(i) pl - proportional limit. This is the point until which the σ - ϵ curve is linear

(ii) el - elastic limit

from pl-el system is non-linear

Beyond el, the material becomes plastic.

That is, when P is reduced to zero, it does not go back to its original length l_0 .

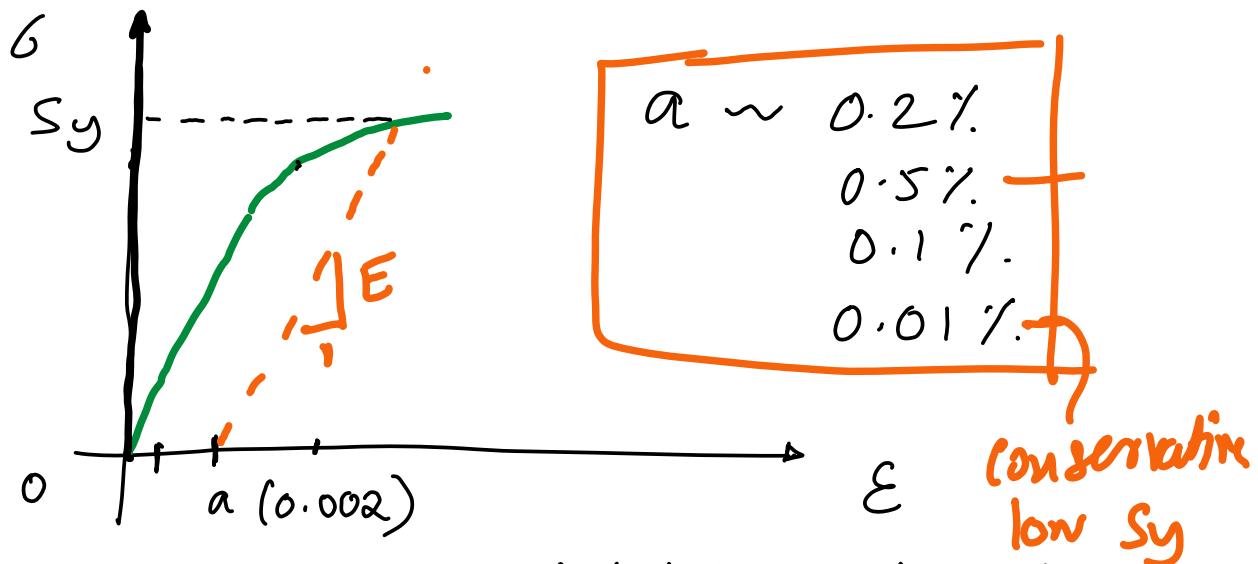
y : yield point

$\epsilon_l - y$: the strain increases faster than the stress

stress at ' y ' is called the yield strength S_y

important design numbers.

An offset method is used to compute S_y



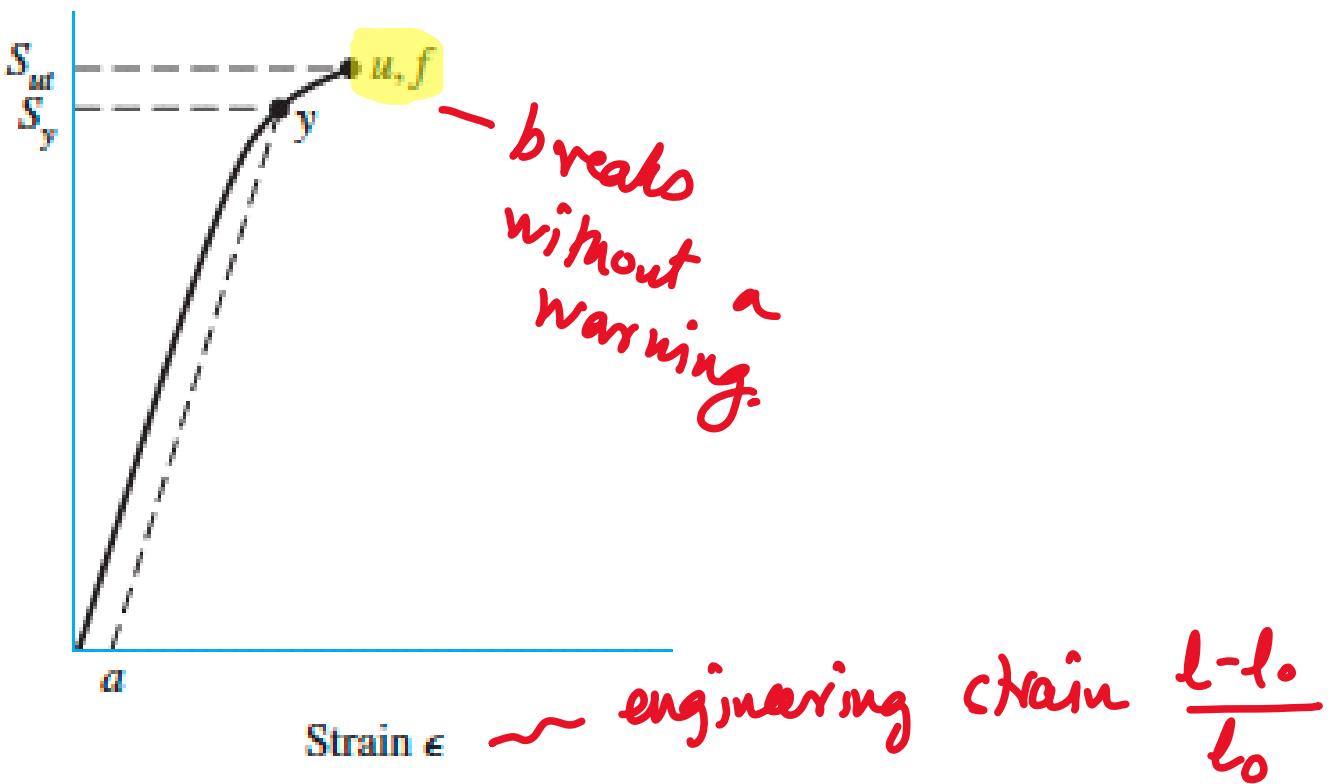
- ① Assume an offset point 'a' to be at $0.2\% (= 0.002)$
- ② Draw a straight line from 'a' with a slope of E
- ③ The point of intersection of this line with the σ - ϵ curve is S_y

with the $\delta-\epsilon$ worse is Sy

(iv) σ_u - ultimate or maximum strength
 S_u

(v) F - fracture point / material breaks

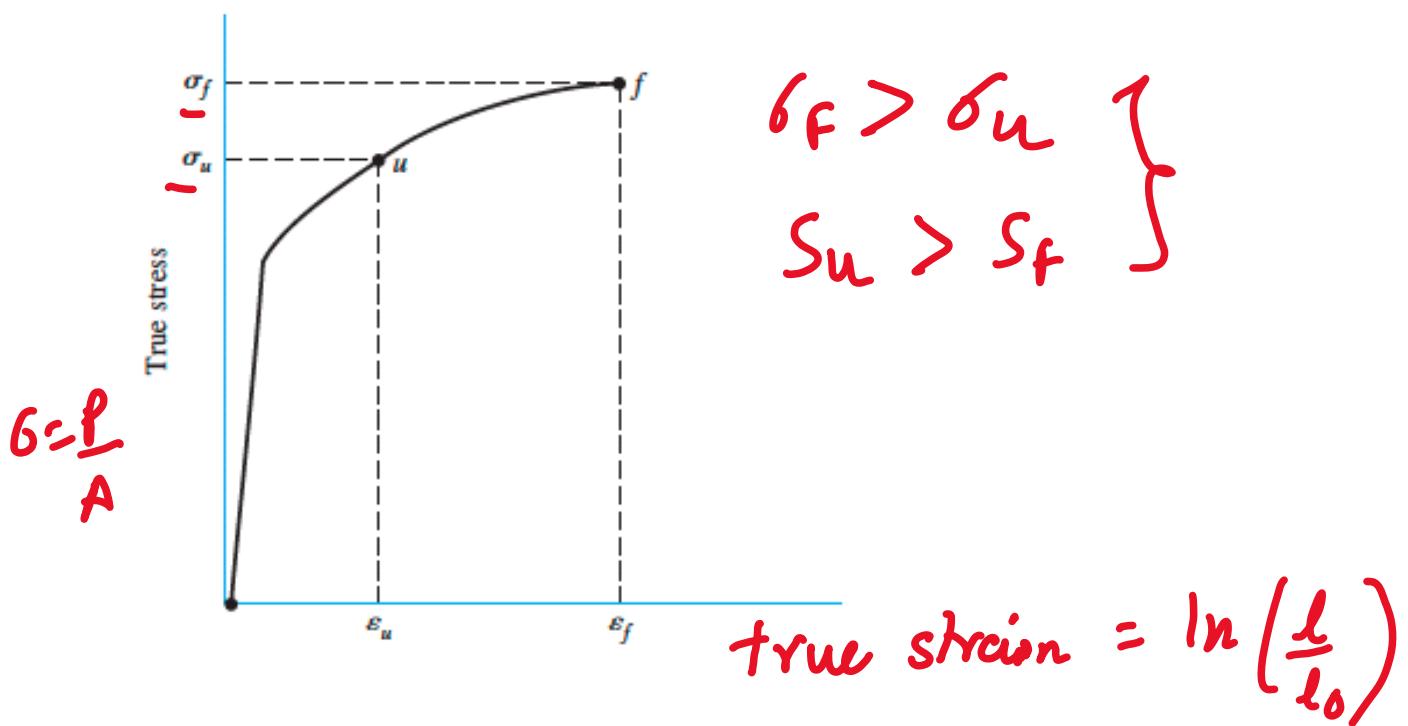
brittle (ceramic, glass, graphite)



The behavior of a brittle material is similar to a ductile material upto point y

u, f are the same points. Here the material breaks / fractures

True stress-strain



$$\epsilon_t = \int_{l_0}^l \frac{dl}{l} = \ln l \Big|_{l_0}^l = \ln\left(\frac{l}{l_0}\right)$$